# North Penn School District 

Elementary Math Parent Letter

## Grade 5

## Unit 4 - Chapter 9: Algebra: Patterns and Graphing

## Examples for each lesson:

## Lesson 9.1

## Line Plots

A line plot is a graph that shows the shape of a data set by placing $X \mathrm{~s}$ above each data value on a number line. You can make a line plot to represent a data set and then use the line plot to answer questions about the data set.

Students measure the lengths of several seeds.
The length of each seed is listed below.
$\frac{1}{2}$ inch, $\frac{3}{4}$ inch, $\frac{1}{2}$ inch, $\frac{1}{4}$ inch, $\frac{3}{4}$ inch, $\frac{3}{4}$ inch, $\frac{3}{4}$ inch, $\frac{1}{4}$ inch, $\frac{1}{2}$ inch

What is the combined length of the seeds that are $\frac{1}{4}$ inch long?

Step 1 To represent the different lengths of the seeds, draw and label a line plot with the data values $\frac{1}{4}, \frac{1}{2}$, and $\frac{3}{4}$. Then use an $X$ to represent each seed. The line plot
 has been started for you.

Step 2 There are $2 \quad X$ s above $\frac{1}{4}$ on the line plot.
Multiply to find the combined length of the seeds:

inch
The combined length of the seeds that are $\frac{1}{4}$ inch long is $\frac{1}{2}$ inch.
You can use the same process to find the combined lengths of the seeds that are $\frac{1}{2}$ inch long and $\frac{3}{4}$ inch long.

## Lesson 9.2

## Ordered Pairs

A coordinate grid is like a sheet of graph paper bordered at the left and at the bottom by two perpendicular number lines. The $x$-axis is the horizontal number line at the bottom of the grid. The $\boldsymbol{y}$-axis is the vertical number line on the left side of the grid.

An ordered pair is a pair of numbers that describes the location of a point on the grid. An ordered pair contains two coordinates, $x$ and $y$. The $x$-coordinate is the first number in the ordered pair, and the $\boldsymbol{y}$-coordinate is the second number.
$(x, y) \longrightarrow(10,4)$
Plot and label $(10,4)$ on the coordinate grid.
To graph an ordered pair:

- Start at the origin, (0, 0).
- Think: The letter $x$ comes before $y$ in the alphabet. Move across the $x$-axis first.
- The $x$-coordinate is 10 , so move 10 units right.
- The $y$-coordinate is 4 , so move 4 units up.
- Plot and label the ordered pair (10, 4).


More information on this strategy is available on Animated Math Models \#30, 31.

## Lesson 9.3

## Graph Data

Graph the data on the coordinate grid.

| Plant Growth |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| End of Week | 1 | 2 | 3 | 4 |
| Height (in inches) | 4 | 7 | 10 | 11 |

- Choose a title for your graph and label it. You can use the data categories to name the $x$ - and $y$-axis.
- Write the related pairs of data as ordered pairs.


- Plot the point for each ordered pair.


## Lesson 9.4

## Line Graphs

A line graph uses a series of line segments to show how a set of data changes over time. The scale of a line graph measures and labels the data along the axes. An interval is the distance between the numbers on an axis.

Use the table to make a line graph.

- Write a title for your graph. In this example, use Average Monthly High Temperature in Sacramento.

| Average Monthly High Temperature <br> in Sacramento, California |  |  |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: |
| Month | Jan. | Feb. | Mar. | April | May |
| Temperature ('F) | 53 | 60 | 65 | 71 | 80 |

- Draw and label the axes of the line graph. Label the horizontal axis Month. Write the months. Label the vertical axis Temperature ( ${ }^{\circ} \mathrm{F}$ ).
- Choose a scale and an interval. The range is 53-80, so a possible scale is $0-80$, with intervals of 20 .
- Write the related pairs of data as ordered pairs:
(Jan, 53); (Feb, 60); (Mar, 65); (April, 71); (May, 80).


## More information on this strategy is available on Animated Math Model \#32.

## Lesson 9.5

## Numerical Patterns

\section*{A soccer league has 7 teams. How many players are needed for 7 teams? How many soccer balls are needed by the 7 teams? <br> | Add |
| :--- |
| Add |
| $\mathbf{8}$ |
| $\mathbf{4}$ | | Number of Teams | 1 | 2 | 3 | 4 | 7 |
| :--- | :---: | :---: | :---: | :---: | :---: |
|  | Number of Players | 8 | 16 | 24 | 32 |
| Number of Soccer Balls | 4 | 8 | 12 | 16 | 28 |}

Step 1 Find a rule that could be used to find the number of players for the number of teams.

Think: In the sequence 8, 16, 24, 32, you add 8 to get the next term.
As the number of teams increases by 1 , the number of players increases by 8 . So the rule is to add 8 .

Step 2 Find a rule that could be used to find the number of soccer balls for the number of teams.

Think: In the sequence 4, 8, 12, 16, you add 4 to get the next term.
As the number of teams increases by 1 , the number of soccer balls needed increases by 4 . So the rule is to add 4 .

Step 3 For 7 teams, multiply the number of players by $\frac{1}{2}$ to find the number of soccer balls.

So, for 7 teams, 56 players will need 28

## Lesson 9.6

## Problem Solving • Find a Rule

Samantha is making a scarf with fringe around it. Each section of fringe is made of 4 pieces of yarn with 2 beads holding them together. There are 42 sections of fringe on Samantha's scarf. How many wooden beads and how many pieces of yarn are on Samantha's scarf?

| Read the Problem | Solve the Problem |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| What do I need to find? <br> Possible answer: I need to find | Sections of Fringe | 1 | 2 | 3 | 4 | 6 | 42 |
| the number of beads and the number of pieces of yarn on | Number of Beads | 2 | 4 | 6 | 8 | 12 | 84 |
| Samantha's scarf. | Pieces of Yarn | 4 | 8 | 12 | 16 | 24 | 168 |
| What information do I need to use? <br> Possible answer: I need to use the number of sections on the scarf, and that each section has 4 pieces of yarn and 2 beads. | Possible answer: I can multiply the number of sections by 2 to find the number of beads. Then, I can multiply the number of sections by 4, or the |  |  |  |  |  |  |
| How will I use the information? <br> I will use the information to search for patterns to solve a simpler problem. | numb <br> the nu <br> So, Sa <br> 42, or <br> 168 pi |  |  |  | $\begin{aligned} & \text { by } \\ & \text { and } \\ & \text { anes } \\ & \hline \end{aligned}$ | $\frac{2, \text { to }}{\frac{2}{\text { has }}}$ | $\begin{aligned} & \frac{\text { find }}{} \\ & \frac{\text { yarn. }}{} \\ & \frac{52 \times}{42, \text { or }} \end{aligned}$ |

## Lesson 9.7

## Graph and Analyze Relationships

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The scale on a map is 1 in. = 4 mi. Two cities are 5 inches apart on the map. What is the actual distance between the two cities?
Step 1 Make a table that relates the map distances to the actual distances.
\begin{tabular}{|l|c|c|c|c|c|}
\hline Map Distance (in.) & 1 & 2 & 3 & 4 & 5 \\
\hline Actual Distance (mi) & 4 & 8 & 12 & 16 & \(?\) \\
\hline
\end{tabular}
```

Step 2 Write the number pairs in the table as ordered pairs.
$(1,4),(2,8),(3,12),(4,16),(5, ?)$
Step 3 Graph the ordered pairs. Connect the points with a line from the origin.

Possible rule: Multiply the map distance by 4 to get the actual distance.

Step 4 Use the rule to find the actual distance between the two cities.

So, two cities that are 5 inches apart on the map are actually $5 \times 4$, or $\underline{20}$ miles apart.


More information on this strategy is available on Animated Math Models \#30, 31.

## Vocabulary

Interval - the fixed distance between any two consecutive numbers on the scale of a graph
Line graph - a graph that uses line segments to show how data changes over time
Ordered pair - the pair of numbers used to locate points on a grid
Origin - the point where the $x$-axis and the $y$-axis intersect $(0,0)$
Scale - a series of numbers placed at fixed distances on the graph that help label it
x-axis - the horizontal number line on a coordinate plane
x-coordinate - the first number in an ordered pair, which tells the distance to move right or left from (0, 0)
$y$-axis - the vertical number line on a coordinate plane
$\mathbf{y}$-coordinate - the second number in an ordered pair, which tells the distance to move up or down from (0, 0)

